# Broadening and shift of $\mathrm{CH}_{4}$ triplet $\mathbf{6 0 4 6 . 9 6} \mathrm{cm}^{-1}$ and its components induced by collisions with $\mathrm{SF}_{6}$ molecules 

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#### Abstract

The results of measurements and calculations of broadening and shift coefficients for unresolved triplet $6046.96 \mathrm{~cm}^{-1}$ of $\mathrm{CH}_{4}$ and its components due to collisions with $\mathrm{SF}_{6}$ molecules are presented. The measurements were realized by using a high-sensitive photo-acoustic spectrometer with a diode laser providing for a spectral resolution of $7 \cdot 10^{-4} \mathrm{~cm}^{-1}$ and a signal-to-noise ratio more than $10^{3}$. The obtained results are in satisfactory agreement with the experimental data.


## Introduction

The peculiarity of absorption spectra of highly symmetric molecules, such as $\mathrm{CH}_{4}$, is the presence of multiplets, i.e., groups of lines with strong overlapping. As is known, the cluster structure of a spectrum arises from tetrahedral separation of rotational-vibrational energy levels confluent to null approximation. The separation is narrow at small quantum numbers of angular momentum, but enhances at their growing. The multiplet components totally overlap at sufficiently high buffer gas pressure. As a result, a problem of their separation and determination of their parameters arises when analyzing methane spectra. One more reason of interest to the study of $\mathrm{CH}_{4}$ multiplets is that the effects of spectral exchange are easily observable for them, which lead to distortion of the profile shape and redefinition of its parameters. Investigation of broadening and shift of $\mathrm{CH}_{4}$ absorption lines and shapes of multiplet profiles allows a detailed study of different manifestations of spectral line interference in molecular gases; this is important when developing spectroscopic methods of laser gas analysis with tunable narrow-band lasers.

Half-widths of methane absorption lines at pressure variations of nitrogen, oxygen, air, and rare gases were measured and calculated repeatedly. ${ }^{1-16}$ At present, there is a large body of numerical data required for different applications. Half-widths of methane absorption lines were calculated with the Anderson-Tsao-Carnatte (ATC) ${ }^{3,4}$ method on the assumption of the $\mathrm{CH}_{4}$ octopole moment linearity, the magnitude of which was chosen to reproduce experimental data. High coupling terms were taken into account in calculations, up to hexadecapole-hexadecapole, as well as induction and dispersion forces.

Calculations ${ }^{1,5,6}$ were carried out on the base of more rigorous Robert-Bonamy method with accounting for the short-range part of potential, represented as a sum of pair atom-atomic potentials. Accurate rovibrational wave functions, accounting for trajectory bending, were also used in calculations.

A satisfactorily general agreement between calculated and measured coefficients of broadening and shift of lines of $v_{3}$ band induced by nitrogen pressure was obtained; however, some other factors, caused by the symmetry type of transition-connected states, should be taken into account for accurate reproduction of experimental data

The profile of multiplet methane lines has been analyzed with accounting for interference between its components. ${ }^{7-16}$ Nitrogen and rare gases were considered as buffer ones. Multiplets with small $J$ are not resolved in basic bands, therefore, calculations were carried out for multiplets with $J>5$, for which tetrahedral separation is sufficiently large and individual components are observed under Doppler broadening. The formation of cluster profiles at $J \sim 20$ was considered in Ref. 11. The influence of temperature and buffer gas parameters on calculations of absorption coefficients was studied in Refs. 13-16. Formation of profiles for the "forbidden" $v_{2}$ band was studied in Ref. 12; line broadening of the $v_{1}$ band in the Raman spectrum was investigated in Ref. 14.

The principal conclusion of these works is that spectral exchange becomes apparent already at low pressures of a buffer gas, which leads to a significant deviation of absorption coefficients from the sum of Voigt profiles of individual lines.

The problem of our interest was the broadening and shift of lines, induced by collisions of $\mathrm{CH}_{4}$ molecule with $\mathrm{SF}_{6}$ ones, which are also highly symmetric. As is known, the methane molecule in equilibrium configuration has a symmetry of $T_{d}$ group, its equilibrium values of dipole and quadrupole moments are zero, and the octopole moment is the first nonzero one. The $\mathrm{SF}_{6}$ molecule has the point symmetry group $O_{h}$, and the first nonzero moment is hexadecapole. Therefore, the main electrostatic interaction in $\mathrm{CH}_{4}$ and $\mathrm{SF}_{6}$ collisions is octopole-hexadecapole, proportional to the intermolecular distance $R^{-8}$. The second in value is interaction between hexadecapole moments of $\mathrm{CH}_{4}$ and $\mathrm{SF}_{6}$, proportional to $R^{-9}$. The main part of polarization potential (disperse interaction)
is a summand proportionate to $R^{-6}$. Thus, broadening of lines induced by collisions of highly symmetric $\mathrm{CH}_{4}$ and $\mathrm{SF}_{6}$ molecules is determined by short-range interacting forces.

Note also that rovibrational interaction in highlynsymmetric molecules results in nonzero mean values of dipole and quadrupole moments. The dipole moment for the ground state of $\mathrm{CH}_{4}$ molecule has been calculated ${ }^{17,18}$ and measured, ${ }^{19}$ its magnitude is not high $\left((5.38 \pm 0.10) \cdot 10^{-6} \mathrm{D}\right)$. The induced dipole moment for excited vibrational states is significantly higher. The calculated and measured values of mean dipole moment for the ( 0010 ) vibrational state of $\mathrm{CH}_{4}$ molecule are given in Refs. 20 and 21, where the induced dipole moment turns out to be 0.02 D , which is as much as four times higher than for the ground vibrational state.

The vibration-induced mean dipole moment depends on the number of excited vibrational quanta of $v_{3}$ or $v_{4}$. Therefore, it is expected for overtone bands that additions, caused by intramolecular interactions will result in a noticeable change in intermolecular potential, e.g., due to appearance of the dipole-dipole interaction depending on intermolecular distance $R^{-3}$ in case of self-broadening. Thus, long-range dipole interactions can definitely contribute to broadening coefficients of methane lines, connected with transitions to excited vibrational states.

This circumstance was not taken into account in previous calculations of line broadening and shift coefficients in the $\mathrm{CH}_{4}-\mathrm{SF}_{6}$ mixture, because the majority of related works was devoted to line broadening and shift in basic vibrational bands.

This work presents the calculation and measurement results on broadening and shift coefficients of $6046.96 \mathrm{~cm}^{-1}$ triplet line of methane molecule induced by $\mathrm{SF}_{6}$ broadening. The measurements have been carried out using a high-sensitive acoustic spectrometer allowing a signal-to-noise ratio of about $10^{3}$. Owing to high resolution and sensitivity, the study of individual
triplet components is possible. The broadening and shift coefficients of individual components have been calculated as well; the calculation results are in satisfactory agreement with the measured ones.

The broadening coefficients for the $\mathrm{CH}_{4}-\mathrm{SF}_{6}$ pair were measured earlier ${ }^{22}$ for the P7F line of $v_{3}$ band; the calculated data for this line are given in Ref. 23, they are in a good agreement with the experiment, the difference is $10 \%$. Measurements and calculations for the methane lines in mixture with $\mathrm{SF}_{6}$ were not carried out earlier for the triplet under study.

## 1. Experiment

The two-channel PA spectrometer with a diode laser (DOAS DL) was used for the measurements. Its block-diagram is shown in Fig. 1; the main spectrometer specifications are given in Table 1.

Table 1. OAS specifications

| Parameter | Value |
| :--- | :---: |
| Spectral range, $\mathrm{cm}^{-1}$ | $6040-6300$ |
| Spectral resolution, $\mathrm{cm}^{-1}$ | 0.0007 |
| Signal-to-noise ratio | 1000 |

A TEC-100 semiconductor laser with an external cell (Sacher Laser Technik) generates continuous single-frequency radiation within $6040-6300 \mathrm{~cm}^{-1}$ range with a radiation spectrum width of $\sim 10 \mathrm{MHz}$ and an output power of $0.003-0.01 \mathrm{~W}$. The radiation power is controlled with a photodetector, built into the laser unit, and modulated with a variable frequency optical chopper Model 300C (SCITEC INSTRUMENTS). ${ }^{24}$

The lasing frequency is controlled with a diffraction grating. Manual rotation of the grating with a microscrew allows the laser tuning to any wavelength of the given range, while the rotation with a piezoelectric ceramic element executes continuous


Fig. 1. Block-diagram of DOAS DL: wavelength meter (1), Fabri-Perrot interferometer (2), DL controller (3), DL (4), modulator (5), PAD (6), Knowles 3027 microphone (7), differential amplifier (8), laser power meter (9), modulator controller (10), spectrometer controller (11), PC (12).
(without mode jumps) controller-controllable radiation retuning within a range $0.001-3 \mathrm{~cm}^{-1}$. An electric signal, controlling the piezoelectric ceramic element, is produced by a twelve-digit digital-to-analog converter (DAC); it changes the voltage from 0 to 100 V according to a specified program with a minimal step of about 0.024 V , which corresponds to about $22-\mathrm{MHz}$ $\left(0.00073 \mathrm{~cm}^{-1}\right)$ step of the frequency tuning.

Measurement and manual adjustment of lasing wavelength to a preset initial wavelength are carried out with the help of a wavelength meter (WS-7 117 IR-type WLM, "Angstrom Ltd." ${ }^{25}$ ). An error of absolute measurements of the initial wavelength $(\Delta v / v)$ does not exceed $10^{-6}$.

Lasing frequency in the program-controllable tuning is controlled with a Fabry-Perot etalon of IT-$28-30$ type with 3 and 10 cm bases ( 0.1666 and $0.05 \mathrm{~cm}^{-1}$ free spectral ranges). To exclude the influence of air pressure drops on the free spectral range, the Fabry-Perot etalon is placed into a hermetically sealed casing filled with dry nitrogen under atmospheric pressure.

A PAD with a cell in the form of differential Helmholtz resonator (DHR) was used as a high sensitive resonance PA detector with a low level of acoustic noises. ${ }^{26}$

The Helmholtz resonator has a great advantage: acoustic vibrations in HR cells at a resonance frequency are antiphased. Since microphones are located in each cell, the difference of acoustic signals can be recorded (the so-called differential Helmholtz resonator). In this case, the useful signal is doubled and in-phase external acoustic noise decreases by $1-2$ orders of magnitude. The used design of DHR with two capillaries is totally symmetric and allows a low level of external noise even in a gas flow. When the gas flow passes through both DHR cells, in-phase acoustic noise is formed in each of them and is subtracted by the differential amplifier.

The measurements were carried out within a range $6046.8-6047.15 \mathrm{~cm}^{-1}$ and at $\mathrm{SF}_{6}$ pressure from 0 to 500 Torr at a room temperature.

The measurement technique and spectrometer design are described in more detail in Ref. 27.

## 2. Determination of line parameters

The line under study is a triplet, including $(03$ F2 1) $\rightarrow(44$ F1 142), $\quad(03$ F1 1) $\rightarrow(44$ F2 142), and $\quad(03 \mathrm{~A} 21) \rightarrow(44 \mathrm{~A} 11)$ transitions centered at $6046.9420,6046.9527$, and $6046.9647 \mathrm{~cm}^{-1}$, respectively. "Exact" quantum numbers are given in parenthesis: the number of resonance polyad, angular moment $J$, symmetry type, and the number of a given level in ascending order.

The profile parameters of individual triplet components were determined by the least-squares method in two ways. In the first way, the profile of each multiplet component was considered as a Voigt one; in the second, a profile, accounting for line interference, ${ }^{7}$ was used:

$$
\alpha(x, y)=\frac{1}{\gamma_{D} \pi^{3 / 2}} \int_{-\infty}^{\infty} \frac{\xi y+\eta(x-t)}{(x-t)^{2}+y^{2}} \mathrm{e}^{-t^{2}} \mathrm{~d} t,
$$

where parameters $x$ and $y$ have usual meanings:

$$
x=\left(\omega-\omega_{0}\right) / \gamma_{D}, \quad y=\gamma / \gamma_{D}
$$

and $\gamma_{D}=\omega_{0} \sqrt{2 k T / m c}$ is the Doppler half-width of a line. The second item under the integral is caused by the spectral exchange between multiplet components and depends on the cross-correlation factor $\eta$.

Line centers and half-widths, $\xi$ and $\eta$ for spectra, recorded at different buffer gas pressures, were determined by fitting. Figure 2 shows the measured and calculated profiles of a $6046.96 \mathrm{~cm}^{-1}$ line and their difference. Note that the difference between measured and calculated absorption coefficient does not exceed $0.5 \%$. The line interference changes the profile parameters; in this case, $\xi$, being an analogue of line strength, depends on the buffer gas pressure. ${ }^{7}$


Fig. 2. Total profile of methane absorption lines centered at $6046.9420,6046.9527$, and $6046.9647 \mathrm{~cm}^{-1}$, respectively. $\mathrm{SF}_{6}$ pressure is 39.5 (a) and 493.5 Torr (b). Curve 1 corresponds to experimental data and curve 2 to the difference between experimental and calculated values normalized to the maximum calculated value. The methane pressure equals to 4.5 Torr in both spectra.

Therefore, we determined $\xi$ separately for each value of $\mathrm{SF}_{6}$ pressure. Finally, the coefficients of linear dependence of this parameter on the broadening gas pressure were obtained (Figs. 3-5)

The fitting results are given in Table 2 along with the calculated half-widths and shifts.


Fig. 3. The parameter $\xi$ of the $\mathrm{CH}_{4}$ triplet component $6046.9420 \mathrm{~cm}^{-1}(a), 6046.9527 \mathrm{~cm}^{-1}(b)$, and $6046.9647 \mathrm{~cm}^{-1}$ (c) as a function of $\mathrm{SF}_{6}$ pressure.


Fig. 4. Shift of the $\mathrm{CH}_{4}$ triplet component $6046.9420 \mathrm{~cm}^{-1}(a)$, $6046.9527 \mathrm{~cm}^{-1}(b)$, and $6046.9647 \mathrm{~cm}^{-1}(c)$ as a function of $\mathrm{SF}_{6}$ pressure.

Table 2. Measured and calculated half-widths and shifts of components of $\mathrm{CH}_{4}$ triplet $6046.96 \mathrm{~cm}^{-1}$ induced by $\mathrm{SF}_{6}$ pressure broadening (in $10^{-3} \mathrm{~cm}^{-1} / \mathbf{a t m}$ )

| Parameter | $\begin{gathered} 03 \mathrm{~F} 21 \rightarrow 44 \mathrm{~F} 1142^{*} \\ 6046.9420 \end{gathered}$ | $\begin{gathered} 03 \text { F1 } 1 \rightarrow 44 \text { F2 } 142^{*} \\ 6046.9527 \end{gathered}$ | $\begin{gathered} 03 \text { A } 21 \rightarrow 44 \text { A1 } 1^{*} \\ 6046.9647 \end{gathered}$ |
| :---: | :---: | :---: | :---: |
| Half-width, exp. | $74.1 \pm 4.4$ | $95.1 \pm 2.9$ | $65.4 \pm 2.2$ |
| Half-width, calc. | 68 | 68 | 68 |
| Shift, exp. | $-15.4 \pm 0.8$ | $-13.7 \pm 0.9$ | $-13.6 \pm 0.8$ |
| Shift, calc. | -36 | -36 | $-36$ |
| Mean values |  |  |  |
| Half-width, exp. |  | 78.2 |  |
| Half-width, calc. |  | 68 |  |
| Shift, exp. |  | -14 |  |
| Shift, calc. |  | -36 |  |

Note. *Quantum numbers of states $P J C n$, where $P$ is the polyad number, $J$ is the quantum number of angular momentum, $C$ is the symmetry type, $n$ is the number of level of this symmetry in the ascending order.


Fig. 5. Half-width of the $\mathrm{CH}_{4}$ triplet component 6046.9420 (a), $6046.9527(b)$, and $6046.9647 \mathrm{~cm}^{-1}(c)$ as a function of $\mathrm{SF}_{6}$ pressure.

Error assessments given in Table 2 are 68\%confidence intervals. Note, that half-widths and shifts for all three lines linearly depend on the $\mathrm{SF}_{6}$ pressure, and the confidence intervals do not exceed $10 \%$ of the determined parameters. Thus, the conclusion can be drawn that measurements of the total triplet profile with a high signal-to-noise ratio allow reconstruction of half-width and shift of individual components using an ordinary technique for experimental data processing.

The following conclusion can be drawn from the analysis of the total line profile: redistribution of intensities of individual components takes place as the buffer gas pressure increases. Note that such effect is to be observed at line interference, since the
parameter, determined from the fitting, is in fact a certain combination of "true" intensities.

## 3. Calculations of broadening and shift coefficients

In the semiclassical impact broadening theory, the half-width $\gamma_{i f}$ and center shift $\delta_{i f}$ of the line, corresponding to the $i \rightarrow f$ transition, are defined as

$$
\begin{equation*}
\gamma_{f i}+i \delta_{f i}=\frac{n}{c} \sum_{p} \rho(p) \int_{0}^{\infty} \mathrm{d} v v f(v) \int_{0}^{\infty} \mathrm{d} b b U(i, f, p, b, v) \tag{1}
\end{equation*}
$$

where $n$ is the density of thermostat particles; $c$ is the light velocity; $\rho(p)$ is the population of the $p$ th level of a broadening particle; $v$ is the relative velocity; $f(v)$ is the Maxwell distribution function; $b$ is the impact parameter. Summation over the states of exciting molecule and integration over relative velocity and impact parameter are the averaging over all collisions. The complex function $U(i, f, p, b, v)$ determines a contribution of one collision with the impact parameter $b$ and initial velocity $v$ into line broadening and shift; it is expressed via the real and imaginary parts of the truncation function of the Anderson theory:

$$
\begin{align*}
& \operatorname{Re} U(i, f, p, b, v)=1-\cos [\operatorname{Im} S(b)] \exp [-\operatorname{Re} S(b)]  \tag{2}\\
& \operatorname{Im} U(i, f, p, b, v)=\sin [\operatorname{Im} S(b)] \exp [-\operatorname{Re} S(b)] \tag{3}
\end{align*}
$$

The truncation function $S(b)$ is represented as a series in terms of powers of intermolecular interaction operator

$$
\begin{equation*}
S(b)=S_{1}(b)+S_{2}(b)+\ldots . \tag{4}
\end{equation*}
$$

These equations allow the effectiveness function to be calculated even at close collisions, when the perturbation theory is not applicable.

To a certain approximation, the isotropic part of the intermolecular potential is represented as a sum of induction and dispersion potentials. In this case, $S_{1}(b)$ can be written as

$$
\begin{align*}
& S_{1}(b)=i \frac{3 \pi}{8 \hbar v b^{5}} \alpha_{2}\left\{\left\langle v_{i}\right| \mu^{2}\left|v_{i}\right\rangle-\left\langle v_{f}\right| \mu^{2}\left|v_{f}\right\rangle+\right. \\
& \left.\quad+\frac{3 \varepsilon \varepsilon_{2}}{2\left(\varepsilon+\varepsilon_{2}\right)}\left[\left\langle v_{i}\right| \alpha\left|v_{i}\right\rangle-\left\langle v_{f}\right| \alpha\left|v_{f}\right\rangle\right]\right\} . \tag{5}
\end{align*}
$$

Here $\mu$ is the dipole moment of an absorbing molecule; $\varepsilon$ and $\varepsilon_{2}$ are the ionization potentials of absorbing and broadening particles, respectively; $\alpha$ and $\alpha_{2}$ are their polarizabilities. Equation (5) takes into account only the main item of the isotropic part of induction and dispersion interactions.

The vibrational dependence of the isotropic part of intermolecular potential, manifesting itself in the adiabatic shift of levels (5), allows explanation of the strong effect of vibrational excitation in line shift
coefficients. Note that an increase in adiabatic item of the truncation function with an enhancement of vibrational excitation is to be taken into account in calculations of line half-widths as well, as at strong excitations they can increase by $10-30 \%$. The difference between mean polarizability values in Eq. (5) can be also determined from the fitting to experimental data on pressure-induced line shifts of the appropriate buffer gas (e.g., rare gases); the obtained data can be used in calculations of coefficients of broadening and shift by pressure of any gases.

Analyzing the second-order summand in Eq. (4), consider the case of collisions between $\mathrm{CH}_{4}$ and $\mathrm{SF}_{6}$ molecules. As it is mentioned above, the first nonzero multipole moment is octopole for methane and hexadecapole for $\mathrm{SF}_{6}$. Hence, the principal electrostatic interaction is octopole-hexadecapole. Besides, higher hexadecapole-hexadecapole, induction, and dispersion interactions should be also taken into account when calculating line broadening and shift coefficients.

As it is mentioned above, a permanent dipole moment of $\mathrm{CH}_{4}$ is absent due to high symmetry of the molecule, and rotational transitions are forbidden within one vibrational state. However, this interdict is not strict, and, as a consequence, weak, so-called "forbidden," dipole transitions are intensified due to intramolecular interactions, Coriolis interaction, anharmonicity of vibrations, and centrifugal distortion. The performed analysis has shown the accounting for a weak dipole moment in $\mathrm{F}_{2}$-symmetry vibrational states, induced by anharmonic interactions, to be necessary. Thus, the interaction potential is represented as

$$
\begin{gather*}
V(\mathbf{R})=V_{d \theta}(\mathbf{R})+V_{\rho \theta}(\mathbf{R})+ \\
+V_{\theta \theta}(\mathbf{R})+V_{\text {disp }}(\mathbf{R})+V_{\text {ind }}(\mathbf{R}) . \tag{6}
\end{gather*}
$$

Here the combinations of subscripts $d, o, \theta$ mean dipole, octopole, and hexadecapole interactions, respectively. Expressions for individual items in the second-order truncation function $S_{2}(b)$ are known. ${ }^{3}$ As an example, write the equation for contribution of octopole-hexadecapole potential to the truncation function:

$$
\begin{gather*}
S_{2}^{\Omega \Theta}(b)=\frac{1024}{875}\left(\frac{\Omega_{1} \Theta_{2}}{\hbar v}\right)^{2} \frac{1}{b^{10}} \times \\
\times\left\{\begin{array}{l}
\left(1+\delta_{0 K_{i}}\right)^{-1} \sum_{j_{2}^{\prime} j_{i}^{\prime} K_{i}^{\prime}}\left(1+\delta_{0 K_{i}^{\prime}}\right)^{-1} \times \\
\times\left[C_{j_{i}}^{j_{i}^{\prime} K_{i} K_{i}^{\prime} 2}{ }^{2}+C_{j_{i} K_{i} 3}^{j_{i}^{\prime} K_{i}^{\prime}} 2^{2}+C_{j_{i} K_{i} 3-2}^{j_{i}^{\prime}-K_{i}^{\prime}}{ }^{2}\right] \times \\
\times C_{j_{i} K_{i} 20}^{j_{i}^{\prime} K_{i}^{\prime}}{ }^{2} \times\left[f_{4}(k)+I f_{4}(k)\right]+(i \rightarrow f)^{*}
\end{array}\right\}, \tag{7}
\end{gather*}
$$

where $(i \rightarrow f)$ means the addition of the similar summand with replacing $i$ by $f ; \Omega_{1}$ and $\Theta_{2}$ are the octopole and hexadecapole moments of $\mathrm{CH}_{4}$ and $\mathrm{SF}_{6}$, respectively; $C_{a b c d}^{e f}$ are the Clebsch-Gordan
coefficients; $f_{4}(k)$ and $I f_{4}(k)$ are the real and imaginary parts of resonance functions. The adiabatic parameter

$$
\begin{equation*}
k_{i i^{\prime} p p^{\prime}}=\frac{2 \pi c b}{v}\left[E_{i}-E_{i^{\prime}}+E_{p}-E_{p^{\prime}}\right] \tag{8}
\end{equation*}
$$

depends on the difference between rovibrational energy levels.

Parameters, required for calculations, are given in Table 3. Polarizability of $\mathrm{CH}_{4}$ in the ground and (0020) vibrational states has been determined from the data of Ref. 28, the $\mathrm{CH}_{4}$ octopole and $\mathrm{SF}_{6}$ hexadecapole moments - from Ref. 22, other data from Ref. 29; the dipole moment for methane in the ground state has been taken from Ref. 19 and for (0020) excited state - from Ref. 20.

Table 3. Molecular parameters of $\mathbf{C H}_{4}$ and $\mathbf{S F}_{\mathbf{6}}$

| Parameter | $\mathrm{CH}_{4}$ | $\mathrm{SF}_{6}$ |  |
| :--- | :---: | :---: | :---: |
| Rotational constant, $\mathrm{cm}^{-1}$ | 5.24059 | 0.09111 |  |
| Centrifugal constant, $\mathrm{cm}^{-1}$ | $1.086 \cdot 10^{-4}$ | $1.6 \cdot 10^{-8}$ |  |
| Dipole moment, D | $\mu_{0000}=5.38 \cdot 10^{-6}$ <br> $\mu_{0020}=4.0 \cdot 10^{-2}$ |  | 0 |
| Quadrupole moment, $\mathrm{D} \cdot \AA$ | 0 | 0 |  |
| Octopole moment, D $\cdot \AA^{2}$ | 2.6 | 0 |  |
| Hexadecapole moment, D $\cdot \AA^{3}$ | 4.8 |  | 30.0 |
| Polarizability, $\AA^{3}$ | $\alpha_{0000}=2.264$, <br> $\alpha_{0020}=2.662$ | 4.475 |  |
| Ionization potential, eV | 12.98 |  | 15.7 |

The calculations were carried out at a room temperature in approximation of linear molecule and mean velocity according to Eqs. (2)-(8). All levels up to $J_{\mathrm{p}}=100$ were taken into account when averaging over the broadening particle states. The calculation results are given in Table 2.

## Conclusion

The performed measurements have shown that a $6046.95 \mathrm{~cm}^{-1}$ line profile becomes noticeably asymmetric (see Fig. 2) as the buffer gas pressure increases due to the presence of three lines with different intensities. Mutual fitting of their parameters allowed determining the half-width and shift coefficient, as well as cross-relaxation coefficients of all three triplet components (see Figs. 3-5). Two ways of fitting give similar results; accounting for pressure dependence of $\xi$ is seemingly equivalent to accounting for the spectral exchange and crossrelaxation parameters $\eta$.

Emphasize that the difference in centers of three triplet components is not large and does not exceed $0.025 \mathrm{~cm}^{-1}\left(0.0022 \mathrm{~cm}^{-1}\right.$ at the Doppler half-width). Measurements with accounting for the pressure dependence of absorption coefficients and with a high signal-to-noise ratio allow totally overlapping individual parameters of lines to be determined with confidential intervals not higher than $10 \%$.

The calculated line half-widths satisfactorily agree with the mean measured parameters. The differences for individual lines are 5,8 , and $40 \%$, while the difference is $14 \%$ for the mean half-width. Note also that fitting parameters were not used in calculations of shift coefficients.

As is known, equation (5) describes the dispersion interaction only approximately; in fact, the dependence of dispersion energy on integrals containing electron wave function is more complicated. Note that the $10 \%$ change in difference between $\mathrm{CH}_{4}$ molecule polarizabilities in the ground and excited vibrational states changes shift coefficients more than two-fold.

For the considered transitions in methane, the truncation radius $b_{0}$ of the Anderson theory is significantly larger than the distance of the closest approach between $\mathrm{CH}_{4}$ and $\mathrm{SF}_{6}$ molecules in collisions. Therefore, our calculation does not take into account the close-range part of interaction potential and trajectory bending in colliding. It is evident however, that accounting for the close-range forces slightly increases the calculated value of the line half-width.

The $\mathrm{CH}_{4}$ line half-widths induced by collisions with $\mathrm{SF}_{6}$ were measured and calculated earlier. ${ }^{22}$ The experimental value ( $0.093 \mathrm{~cm}^{-1} / \mathrm{atm}$ ) for the doublet line P7F of the $v_{3}$ band and the calculated one ( $0.0857 \mathrm{~cm}^{-1} / \mathrm{atm}$ ) are in agreement with our result $\left(0.068 \mathrm{~cm}^{-1} / \mathrm{atm}\right)$. The agreement for mean values of shift coefficients is slightly worse (about 20\%).

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